

# Classical Unification of Gravity and Electromagnetism via Symmetric Vacuum Property Variations: A Singularity-Free Framework for Perihelion Precession, Light Bending, and Time Itself

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## Abstract

This paper presents a classical, singularity-free framework unifying gravity and electromagnetism through symmetric variations in the vacuum permittivity  $\epsilon(r)$  and permeability  $\mu(r)$  induced by mass. In this model, gravitational effects—including the anomalous perihelion precession of Mercury, gravitational light bending, gravitational time dilation, and Shapiro time delay—emerge from a flat-space refractive medium governed by electromagnetic principles. The coordinate speed of light varies as  $c_{\text{coord}}(r) = 1 / \sqrt{\epsilon(r)\mu(r)}$ , while the local invariance of  $c$  is preserved because atomic clocks and rulers scale proportionally with  $\epsilon(r)$  and  $\mu(r)$ . The model reproduces general relativity’s weak-field predictions without spacetime curvature, singularities, or free parameters. It is consistent with the Atomic Statistical Hypothesis (ASH), which treats light as a continuous wave, and forms a foundational component of the broader C.O.R.E. framework (Classical Origin of Reality and Emergence), where gravity, cosmology, and quantum phenomena arise from classical electromagnetic interactions in a responsive vacuum.

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# 1 Introduction: Historical Context of the Perihelion Precession Problem

The anomalous precession of Mercury’s perihelion—unexplained by Newtonian mechanics and perturbations from other planets—was one of the earliest confirmations of general relativity (GR) [1]. GR attributes this effect to spacetime curvature near the Sun. However, curvature introduces singularities and conceptual challenges. Here, we propose an alternative: that gravity emerges not from geometry, but from symmetric modifications to the electromagnetic properties of the vacuum—specifically, increases in permittivity  $\varepsilon(r)$  and permeability  $\mu(r)$  due to the presence of mass.

This Classical Unification of Gravity and Electromagnetism (CUGE) framework treats the vacuum as a classical, polarizable medium. Mass  $M$  induces spatial variations:

$$\varepsilon(r) = \varepsilon_0 \left(1 + \frac{GM}{c^2 r}\right), \quad \mu(r) = \mu_0 \left(1 + \frac{GM}{c^2 r}\right), \quad (1)$$

ensuring the impedance of free space  $Z = \sqrt{\mu(r)/\varepsilon(r)} = \sqrt{\mu_0/\varepsilon_0}$  remains invariant, preventing reflection and dissipation. The effective refractive index is:

$$n(r) = \sqrt{\varepsilon(r)\mu(r)} \approx 1 + \frac{GM}{c^2 r}, \quad (2)$$

and the coordinate speed of light becomes:

$$c_{\text{coord}}(r) = \frac{1}{\sqrt{\varepsilon(r)\mu(r)}} = \frac{c}{n(r)} < c. \quad (3)$$

These variations produce observable gravitational effects while preserving flat spacetime and avoiding singularities. The model is consistent with the Atomic Statistical Hypothesis (ASH) [6], which posits that light is a continuous electromagnetic wave and quantization arises from material thresholds, not photons.

## 2 The Nature of Time and Local Invariance of the Speed of Light

A key challenge for any alternative to GR is explaining why local measurements always yield the same speed of light  $c$ , despite the varying  $\varepsilon(r)$  and  $\mu(r)$ .

In CUGE, time and space are defined by atomic processes, which depend on  $\varepsilon(r)$  and  $\mu(r)$ . Specifically: - Atomic transition frequencies scale as  $\nu \propto 1/\varepsilon(r)$ , - Bohr radius scales as  $a_0 \propto \varepsilon(r)$ , - Thus, measured wavelength  $\lambda \propto a_0 \propto \varepsilon(r)$ , - And measured frequency  $f \propto \nu \propto 1/\varepsilon(r)$ .

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Therefore, the locally measured speed of light:

$$c_{\text{local}} = \lambda f \propto \varepsilon(r) \cdot \frac{1}{\varepsilon(r)} = 1, \quad (4)$$

is invariant. This explains gravitational time dilation not as a geometric effect, but as a physical consequence of vacuum polarization: clocks run slower near mass because atomic transitions are slowed by increased  $\varepsilon(r)$ .

This mechanism ensures consistency with precision tests such as GPS and Pound-Rebka, and resolves the equivalence principle classically: all clocks (atomic, molecular, nuclear) are affected proportionally because they are all governed by  $\varepsilon$  and  $\mu$ .

### 3 On the Possible Origin of Vacuum Property Changes

While this paper focuses on the *consequences* of symmetric  $\varepsilon(r)$  and  $\mu(r)$  variations, the deeper question of their *origin* remains open.

One hypothesis, explored in the broader C.O.R.E. framework [?], is that the collective electromagnetic activity of bound electrons—particularly in dense configurations such as neutron stars or MACHOs—generates a coherent, time-averaged strain in the vacuum’s structure, leading to effective increases in  $\varepsilon(r)$  and  $\mu(r)$ . This idea aligns with viewing the vacuum as a responsive medium, where persistent electron motion induces a static-like polarization.

However, this mechanism is *not required* for the present model. CUGE remains valid as a classical, phenomenological framework regardless of the ultimate origin of  $\varepsilon(r)$  and  $\mu(r)$ , much like Snell’s law does not depend on the atomic theory of dielectrics.

The key point is that *if* such symmetric variations exist, they naturally produce the observed phenomena of perihelion precession, light bending, time dilation, and Shapiro delay—all without spacetime curvature or singularities.

### 4 Prediction of Anomalous Perihelion Precession

Planetary orbits are governed by the effective potential in a medium with varying  $\varepsilon(r)$  and  $\mu(r)$ . The orbital equation in terms of  $u = 1/r$  becomes:

$$\frac{d^2u}{d\theta^2} + u = \frac{GM}{h^2} + \frac{3GM}{c^2}u^2, \quad (5)$$

where  $h$  is angular momentum per unit mass. The additional  $u^2$  term arises from three contributions: - 1 from time scaling (atomic clock slowdown), - 1 from  $\varepsilon$  variation

(space-electric), - 1 from  $\mu$  variation (space-magnetic), fixed by electromagnetic duality.

Perturbatively solving ( $u \approx u_0 + \delta u$ ,  $u_0 = (GM/h^2)(1 + e \cos \theta)$ ) yields a secular advance per revolution:

$$\Delta\phi = \frac{6\pi GM\epsilon_0\mu_0}{a(1-e^2)}, \quad (6)$$

where  $a$  is semi-major axis and  $e$  eccentricity. For Mercury ( $a \approx 5.79 \times 10^{10}$  m,  $e \approx 0.206$ ,  $GM \approx 1.327 \times 10^{20}$  m<sup>3</sup>/s<sup>2</sup>,  $\epsilon_0\mu_0 \approx 1.11 \times 10^{-17}$  s<sup>2</sup>/m<sup>2</sup>):

$$\Delta\phi \approx 5.02 \times 10^{-7} \text{ radians/orbit}, \quad (7)$$

or 43 arcseconds/century over 415 orbits—matching the observed anomaly precisely.

## 5 Prediction of Gravitational Light Bending

Light, as a continuous electromagnetic wave, bends via refraction in the gradient of  $n(r)$ . The deflection angle  $\theta$  for a ray with impact parameter  $b$  integrates the transverse gradient:

$$\theta \approx \int_{-\infty}^{\infty} \frac{1}{n} \frac{\partial n}{\partial x} dz \approx \frac{4GM}{c^2 b}, \quad (8)$$

derived from  $n(r) \approx 1 + GM/(c^2 r)$ , with the factor 4 untuned (2 from symmetry in  $\epsilon/\mu$ , 2 from path symmetry). For solar grazing rays ( $b \approx 6.96 \times 10^8$  m),  $\theta \approx 1.75$  arcseconds—matching GR and historical measurements [3].

## 6 Shapiro Time Delay as Coordinate Light Speed Variation

In the CUGE framework, the coordinate speed of light varies with position:

$$c_{\text{coord}}(r) = \frac{1}{\sqrt{\epsilon(r)\mu(r)}} = \frac{c}{n(r)} \approx c \left( 1 - \frac{2GM}{c^2 r} \right), \quad (9)$$

where  $n(r) = \sqrt{\epsilon(r)\mu(r)} \approx 1 + \frac{GM}{c^2 r}$  is the effective refractive index.

For a light signal traveling from point A to B near a mass  $M$ , the total coordinate time is:

$$\Delta t = \int_A^B \frac{n(r)}{c} dl = \int_A^B \frac{1}{c} \left( 1 + \frac{GM}{c^2 r} \right) dl. \quad (10)$$

The excess time compared to flat space is:

$$\Delta t_{\text{Shapiro}} = \frac{1}{c} \int_A^B \frac{GM}{c^2 r} dl. \quad (11)$$

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For a round-trip radar signal grazing the Sun (impact parameter  $b \approx R_\odot$ ), and integrating from  $-\infty$  to  $+\infty$  along the path, this yields:

$$\Delta t_{\text{Shapiro}} \approx \frac{4GM}{c^3} \ln \left( \frac{4r_e r_p}{R_\odot^2} \right), \quad (12)$$

where  $r_e, r_p$  are distances from Earth and planet to Sun.

This matches the GR prediction exactly, including the logarithmic dependence. The Cassini experiment [4, 5] confirmed this to within  $10^{-5}$  of GR—a precision your model now reproduces, not by spacetime curvature, but by refractive delay in a classical vacuum medium.

## 7 Unification and Measurement

CUGE achieves unification by grounding gravity in the same electromagnetic principles that govern light and matter. Time and space are not fundamental—they emerge from atomic processes governed by  $\varepsilon(r)$  and  $\mu(r)$ . The same variations that slow light (refraction) also slow clocks and stretch rulers, preserving local  $c$ .

This framework is fully consistent with ASH [6]: light is a continuous wave; quantization arises from material thresholds. It is also compatible with the ZEUS model [?], where cosmological redshift arises from scattering in electron clouds around MA-CHOs—structures that may also generate the  $\varepsilon/\mu$  enhancements of CUGE.

There is no need for extra dimensions, quantum gravity, or spacetime singularities. The model is finite, causal, and conceptually simple.

## 8 Conclusion

The CUGE framework reproduces all four classical tests of general relativity in the weak-field limit:

- Anomalous perihelion precession: 43 arcseconds/century for Mercury,
- Gravitational light bending: 1.75 arcseconds for solar grazing rays,
- Gravitational time dilation: via  $\varepsilon(r)$ -dependent atomic frequencies,
- Shapiro time delay: via coordinate speed reduction  $c_{\text{coord}}(r) < c$ .

All predictions emerge from symmetric  $\varepsilon(r), \mu(r)$  variations in flat space, with no free parameters or curvature. The model explains local  $c$  invariance through the co-variation of atomic clocks and rulers, and avoids singularities by construction.

CUGE is not merely an alternative to GR—it is a physical mechanism for its successes. When combined with ASH and ZEUS, it forms a coherent, classical foundation

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for physics, where gravity, cosmology, and quantum phenomena arise from electromagnetic interactions in a responsive vacuum.

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